# Efficient Large-Scale Language Model Training on GPU Clusters Using Megatron-LM

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### Motivation And Background

- **● Why do we need large language models?**
	- Large language models tend to be effective zero- or few-shot learners with high accuracy
	- These large language models have a number of exciting downstream applications
- **● Why has LLM training efficiency become important?**
	- Computation at scale has become more available and datasets have become larger
	- Number of parameters have grown at an exponential rate



### Motivation And Background

- What are some challenges of training large language models?
	- Parameters of these models can't fit in the memory of even the largest GPU
	- Large parameter volumes lead to increased compute operations and training times



From slide "AI Efficiency: Systems and Algorithms Overview & Key Challenges in LLMs Training Systems"

Data Parallelism

DP usually has a good scale-out ability, but suffers from two limitations:



○ For a fixed global batch size, the per-GPU batch size becomes too small beyond a certain point.

 $\circ$  The maximum number of devices that can be used is determined by the batch size.

- Tensor Model Parallelism Megatron-LM
	- Split tensor across GPUs.
	- Inter-GPUs links works well for models inside one server
- Problems when need to split models across multiple servers:
	- The all-reduce communication can't go through NVlinks
	- High model parallelism can create small matrix multiplications, reducing GPU utilization



Megatron-LM: Training Multi-Billion Parameter Language Models Using Model Parallelism

#### Pipeline model parallelism

- Layers of a model are striped over multiple GPUs
- A batch is divided into microbatches, with pipelined execution across them
- Layer assignment and scheduling strategy cause performance trade-offs

#### • Overhead of flushing the pipeline

- Has strict semantics and requires optimizer step synchronization and pipeline flushing at the end of every batch
- As much as 50% of time can be spent flushing the pipeline



# Contributions - Interleaved stage scheduling for PP

Three possible ways of scheduling forward and backward:

Default schedule (GPipe to PipeDream-Flush):



 $\mathbf{q}$ 



However, such a large m has a high memory footprint as it requires stashed intermediate activations

## Contributions - Interleaved stage scheduling for PP

Default schedule (GPipe to PipeDream-Flush):



PipeDream-Flush schedule:

- Limits the number of in-flight microbatches.
- In steady states, worker will perform one forward pass followed by one backward pass.
- Only required activations to be stashed for *p* microbatches, compared to m microbatches for GPipe
- We can have larger m, and will be more memory efficient.

# Contributions - Interleaved stage scheduling for PP

- Schedule with Interleaved Stages attempting to reduce the bubble size
	- Each device can perform computation for multiple subsets of layers(model chunk)
		- i.e. device 1 had layers 1 − 4, device 2 had layers 5 − 8, and so on at first. After model chunk, device 1 has layers 1, 2, 9, 10; device 2 has layers 3, 4, 11, 12; and so on.
	- Extend the 1F1B schedule.
	- $\circ$  If each device has  $v$  stages (or model chunks)
	- o pipeline bubble time thus reduces to  $t_{pb} = \frac{(p-1) \cdot (t_f + t_b)}{n}$  and  $BFT = \frac{(p-1)}{m} \cdot \frac{1}{n}$



Dark colors show the first chunk and light colors show the second chunk. The size of the pipeline bubble is smaller (the pipeline flush happens sooner in the interleaved timeline).

### Scatter/gather communication optimization

- Scatter/gather optimization as an extension to the Megatron-LM
	- This reduced pipeline bubble size does not come for free
	- $\circ$  The output of each transformer layer is replicated (after g in MLP block)
	- They are sending and receiving the exact same set of tensors
	- Split the sending message to equal size of chunk and perform an all-gather on receivers





## Performance Analysis of Combined Parallelism

- Tensor and Pipeline Model Parallelism
	- $\circ$  t  $\Uparrow$ , pipeline bubble  $\llbracket$

$$
\frac{p-1}{m}=\frac{n/t-1}{m}
$$

- Communication overhead
	- All-reduce communication for tensor model parallelism is expensive!
	- Especially when cross servers

Takeaway #1: Use tensor model parallelism within a server and pipeline model parallelism to scale to multiple servers.

- $\bullet$  (p, t, d): Parallelization dimensions, where p is the pipeline-model-parallel size,  $t$  is the tensor-model-parallel size, and  $d$  is the data-parallel size.
- *n*: Number of GPUs, satisfying  $p \cdot t \cdot d = n$ .
- $\bullet$  B: Global batch size.
- $\bullet$  b: Microbatch size.
- $m = \frac{B}{b \cdot d}$ : Number of microbatches per pipeline.

### Evaluation - TP vs. PP

- Tensor versus Pipeline Parallelism
	- 161-billion param. GPT
	- $\circ$  Peak performance achieved when  $t = p = 8$
	- Need a conjunction of both types of model parallelisms



### Performance Analysis of Combined Parallelism

● Data versus Pipeline Parallelism

$$
\frac{p-1}{m} = \frac{n/d-1}{b'/d} = \frac{n-d}{b'^{-B/b}}
$$

- Data versus Tensor Parallelism
	- DP is less communication heavy than TP
		- All-reduce once per batch vs. All-reduce once per microbatch
	- Tensor parallelism can lead to hardware underutilization

Takeaway #2: Decide tensor-parallel size and pipeline-parallel size based on the GPU memory size; data parallelism can be used to scale to more GPUs.



## Evaluation - DP vs. Model Parallelism

- Pipeline-parallelism vs. Data-parallelism
	- 5.9-billion param. GPT
	- Throughput decreases as pipeline-parallel size increases
- Tensor-parallelism vs. Data-parallelism
	- 5.9-billion param. GPT
	- Throughput decreases as tensor-parallel size increases



Limitations of data-parallelism:

- 1. Memory capacity
- 2. Scaling limitation proportional to the batch size



### 3D Parallelism



 $\int\limits_{-\infty}^{\infty} {\mathsf{D}} {\mathsf{P}}$ 

# Evaluation setup

- Megatron-LM extension
- Selene supercomputer
	- Each node has 8 NVIDIA 80-GB A100 GPUs
	- Inter-GPU: NVLink and NVSwitch
	- Inter-node: eight NVIDIA Mellanox 200Gbps HDR Infiniband HCAs
- Model: GPT

## Evaluation - End-to-end Performance

#### ● Superlinear scaling of throughput

- Per-GPU utilization improves as the model get larger
- Communication overhead is not significant



### Evaluation - End-to-end Performance

#### • Estimated Training Time

- T: number of tokens
- P: number of parameters
- n: number of GPUs
- X: throughput
- E.g. GPT3

End-to-end training time 
$$
\approx \frac{8TP}{nX}
$$



### Evaluation - Pipeline Parallelism

- Weak Scaling increase the #layers while increasing PP size
- Higher batch size scales better (p-1)/m



### Evaluation - Pipeline Parallelism

- Interleaved schedule with scatter/gather optimization has higher throughput
	- The gap closes as the batch size increases
		- Bubble size decreases when batch size increases (i.e., more micro-batches)
		- Interleaved schedule features more communication cost per sample



## Evaluation - Comparison with ZeRO-3

- ZeRO-3: No model parallelism in use
- PTD-P scales more gracefully as the #GPUs increases
	- Less cross-node communication



### Selection of Microbatch size

- Optimal microbatch size is **model dependent**
	- Arithmetic intensity
	- Pipeline bubble size



### Evaluation - Scatter-gather optimization

- GPT model with 175 billion parameters using 96 A100 GPUs
- Up to 11% in throughput
	- Large batch size with interleaved schedules
	- Reduce cross-node communication cost



### Activation Recomputation

- How many activation checkpoints should be used?
- $c \cdot A^{input} + l/c \cdot A^{intermediate} \rightarrow c = \sqrt{l} \cdot A^{intermediate}/A^{input}$
- In general, checkpoint every 1 or 2 layers is optimal
- Evaluated on a GPT model with 145 billion parameters on 128 A100 GPUs,  $(t, t)$  $(p) = (8, 16)$



# Related Work

- Parallelism for large model training
	- Variations of pipeline model parallelism
		- Token level
		- Relaxed semantics
		- Asynchronous model updates
	- Combined data and model parallelism
		- **■ DeepSpeed**
- Shared Data Parallelism
- Automatic Partitioning
- HPC for training

### Strengths and Weaknesses

- + 3D parallelism is effective at scaling large models to multiple servers
- + Provides a comprehensive reasoning framework for parameter selection in 3D parallelism, considering not only p, t, d, and also microbatch size and activation recomputation
- No enough information on the programming interface to the extension
	- How much code refactoring is needed?
	- Who is responsible for the refactoring?

# Backup slides

- What are some existing techniques and their limitations?
	- Data Parallelism
	- Tensor Parallelism
		- Megatron-LM
	- Pipeline Parallelism
		- GPipe
		- PipeDream-Flush

# **Contributions**

- Tow techniques
	- Interleaved stage scheduling for pipeline parallelism
	- Scatter-gather communication for tensor parallelism
- Performance modeling of combined pipeline, tensor, and data parallelism
- Implemented Megatron-LM extension

# Move the end-to-end evaluation and pipeline parallelism evaluation up

# Performance modeling of combined pipeline, tensor, and data parallelism

- Tensor and Pipeline Model Parallelism
	- $\circ$  The pipeline bubble size in terms of t is:  $\frac{p-1}{m} = \frac{n/t-1}{m}$ .
	- As *t* increases, the pipeline bubble thus decreases
	- Pending

- $(p, t, d)$ : Parallelization dimensions, where p is the pipeline-model-parallel size,  $t$  is the tensor-model-parallel size, and  $d$  is the data-parallel size.
- *n*: Number of GPUs, satisfying  $p \cdot t \cdot d = n$ .
- $\bullet$  B: Global batch size.
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- $m = \frac{B}{b \cdot d}$ : Number of microbatches per pipeline.

Performance modeling of combined pipeline, tensor, and data parallelism

- Data Parallelism and Pipeline Model Parallelism
	- Let *t* = 1 (tensor-model-parallel size)

Let 
$$
m = \frac{B}{(d \cdot b)} = \frac{b'}{d}
$$
 and  $b' := \frac{B}{b}$   
Then the pipeline bubble size  $\frac{p-1}{m} = \frac{n/d-1}{b'/d} = \frac{n-d}{b'}$ .

○ As *d* becomes larger, *n − d* becomes smaller, and thus the pipeline bubble becomes smaller



# Evaluation

- Hardware
	- Selene Supercomputer (Todo: draw a tree to show the topology)
- Model: GPT

## Computation Optimizations

- Change the data layout
- Fused kernels for a sequence of element-wise operations
- Two custom kernels to enable the fusion of scale, mask, and softmax